# The pop exelogy Files 

## Introduction:

Line graphs are well suited for showing populations over time. By comparing graphs of different populations, students can gain an understanding of both the nature of that growth and ecology of the species being studied.

## Procedure:

1. Distribute copies of the Student Worksheet and graph paper to each student and give them time to complete Part 1 individually.
2. Orient students to Part 2 and 3 by explaining that:
"A population graph shows what happens to the population of a certain species over time. The $x$-axis shows passage of time; the farther you go to the right, the more time elapses. The $y$-axis shows population size; as you go up the axis, the population increases. The scales for both population and time are determined by the data.
3. Give students time to plot the data in Parts 2 and 3, following the directions on their worksheet. Students can complete Part 2 individually, or in groups. If it is completed as group work, ask students to post their completed graphs so others can see and discuss them.
4. Once the Student Worksheet has been corrected, review the discussion questions with the class.

## Discussion Questions:

## Part 1:

1. Can you think of other situations where growth occurs arithmetically? (cost of postage stamps over time, basketball scores over course of game, a person's age over time, etc.)
2. How about other situations where growth occurs exponentially? (number of internet sites, baseball player's salaries over time, acceleration due to gravity, etc.)

## Part 2:

3. Which of the populations show seasonal fluctuations? (The rabbit, fox, and warbler.)
4. What do you think is causing their populations to shrink? (Lack of resources; like food, air and water to survive; and shelter to keep safe.)
5. If your Aunt found that by July 2, 1999, the fox population dropped to 36 individuals, would that be a cause for concern? Why? (No, because each July its population has been between 35 and 39, but it rebounds.)
6. How do you think the populations of the rabbits and the foxes are related? (The fox population grows when rabbits are abundant, and shrinks when they are scarce.)

## Part 3:

7. Because of its appearance, the human growth curve is called a J-Curve, because of its shape. Are any of the other graphs similar? (The closest fit is the 1st population of bacteria, up to the point where its population crashes.)
8. Would we want the human curve to look like the 1st bacteria population? Why? (No, because the bacterial population plummets once their resources are exhausted.)
9. Are humans susceptible to the kind of resource shortages that affect the populations of the other species? (Yes, we also depend on food, water, air, and shelter to survive.)
10. What might the ideal graph for humans look like over the next 200 years? (The curve would level off, like the 2nd population of bacteria.)

## activity

## Concept:

Students are introduced to the concepts of arithmetic and exponential growth. They use this knowledge to identify a group of mystery species, and compare the growth curves of these species to that of humans.

## Objectives:

Students will be able to:

- Interpret graphs that depict populations charted over time.
- Plot human population growth over time.
- Compare characteristics of human population growth to that of other species'.


## Skills:

Drawing and interpreting line graphs, deductive reasoning, developing inferences based on data, problem solving

## Method:

Students complete a worksheet in which they graph and interpret growth curves for money, six mystery species, and humans.

## Materials:

Student Worksheets Graph paper Optional: Calculator

## Student Worksheet Answers:

## Part 1:

|  | Start | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9 | 10 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1. $a-b$ | \$100 | \$110 | \$120 | \$130 | \$140 | \$150 | \$160 | \$170 | \$180 | \$190 | \$200 |
| 2. $a-b$ | \$100 | \$110 | \$121 | \$133.1 | \$146.41 | \$161.05 | \$177.16 | \$194.87 | \$214.36 | \$235.79 | \$259.37 |
| 3 | 1000 | 1100 | 1210 | 1331 | 1464 | 1610 | 1772 | 1950 |  |  |  |



## Part 2:

a. Species 1: Bristlecone Pine (In a slow growing, long-lived species, you would expect little change over time.)

b. Species 2: Red Fox (The population fluctuates annually, following the boom and bust of rabbit numbers.)

C. Species 3: Bacteria X (1st population) (You would expect the bacterial colony to grow fast, and also to die fast as their resources dwindled.)

e. Species 5: Bacteria X (2nd population) (The population stabilizes because although bacteria are being supplied with new nutrients, they are growing in a finite area.)

d. Species 4: Cerulean Warbler (The population is declining over time.)

f. Species 6: Eastern Cottontail (The population shows large annual spike, and rabbits are capable of multiplying rapidly when conditions allow.)


## Part 3:



## The Pop Ecology Files-Student Worksheet

## Part 1: Measuring Growth

1. If you had $\$ 100$ and added $\$ 10$ to it the first year and each successive year, how much money would you have...
a. After 5 years?
b. After 10 years?

| Start | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9 | 10 |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\$ 100$ | $\$ 110$ |  |  |  |  |  |  |  |  |  |

c. Create a line graph to show your money's growth over 10 years.

This is arithmetic growth - growth that results from a constant rate of change over time.
2. If instead you had $\$ 100$ and it grew by $10 \%$ each year, your money would be growing on an ever-increasing base.

How much money would you have...
a. after 5 years?
b. After 10 years?

| Start | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9 | 10 |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\$ 100$ | $\$ 110$ |  |  |  |  |  |  |  |  |  |

c. Using the graph above, add a second line to show how this money would grow over 10 years.

This is exponential growth, growth that results from a constant percent rate of change over time. Populations tend to grow the same way. Because the base population is always increasing, population grows exponentially, as long as there are sufficient resources. Without sufficient resources, a population would exceed its carrying capacity and decline.
3. Jefferson Middle School has 1000 students. A new housing development is being built nearby, and it is predicted that that the school population will increase $10 \%$ each year for seven years. How many students will there be in the school in seven years?

| Start | 1 | 2 | 3 | 4 | 5 | 6 | 7 |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| 1000 |  |  |  |  |  |  |  |

## Part 2: The Naturalist's dilemma

Your aunt left a stack of her papers with you while she was traveling in the wilderness. These papers include important population data that she has gathered on the species she's studied over the years. She's due back in town today, so you want to give her papers back to her, but they've gotten all mixed up. You have the data, and you know the list of species, but you can't tell what data goes with what species. By graphing the population data for each species, you'll be able to sort it all out.

## Species list:

| Species | Background | Where studied |
| :--- | :--- | :--- |
| Bacteria $X$ <br> (1st population) | A common bacteria found in soil. | Studied in a laboratory test tube over <br> the course of several weeks. |
| Cerulean Warbler | This tiny migratory forest bird may be <br> added to the endangered species list. | Central Maryland, over several years. |
| Bristlecone Pine | This slow-growing tree species can live <br> several thousand years. | Eastern California, over several years. |
| Eastern Cottontail | The common fast-breeding rabbit from the <br> eastern United States. | Central Ohio, over several years. |
| Red Fox | One of several predators on the cottontail <br> rabbit. | Central Ohio, over several years. |
| Bacteria X <br> (2nd population) | A common bacteria found in soil. | Studied in a laboratory test tube over several <br> weeks. New nutrients provided regularly. |

## Pop Ecology Files—Student Worksheet

Population data:

| Species 1 |  | Species 2 |  | Species 3 |  | Species 4 |  | Species 5 |  | Species 6 |  |
| :--- | :--- | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :--- | :--- | :--- |
| Date | Pop | Date | Pop | Date | Pop | Date | Pop | Date | Pop | Date | Pop |
| Year 1 | 245 | $1 / 1 / 91$ | 80 | Day 1 | 2 | $5 / 91$ | 236 | Day 1 | 2 | $1 / 1 / 91$ | 300 |
| Year 2 | 243 | $4 / 2 / 91$ | 35 | Day 3 | 5 | $7 / 91$ | 402 | Day 3 | 5 | $4 / 2 / 91$ | 280 |
| Year 3 | 246 | $7 / 3 / 92$ | 35 | Day 5 | 10 | $5 / 92$ | 221 | Day 5 | 10 | $7 / 3 / 92$ | 500 |
| Year 4 | 250 | $10 / 1 / 92$ | 45 | Day 7 | 25 | $7 / 92$ | 380 | Day 7 | 25 | $10 / 1 / 92$ | 1400 |
| Year 5 | 247 | $1 / 2 / 93$ | 75 | Day 9 | 100 | $5 / 93$ | 198 | Day 9 | 100 | $1 / 2 / 93$ | 400 |
| Year 6 | 245 | $4 / 2 / 93$ | 40 | Day 11 | 350 | $7 / 93$ | 324 | Day 11 | 350 | $4 / 2 / 93$ | 320 |
| Year 7 | 250 | $7 / 1 / 94$ | 38 | Day 13 | 1000 | $5 / 94$ | 187 | Day 13 | 1000 | $7 / 1 / 94$ | 600 |
| Year 8 | 252 | $10 / 2 / 94$ | 48 | Day 15 | 2000 | $7 / 94$ | 298 | Day 15 | 1500 | $10 / 2 / 94$ | 1260 |
| Year 9 | 248 | $1 / 2 / 95$ | 82 | Day 17 | 4000 | $5 / 95$ | 150 | Day 17 | 1700 | $1 / 2 / 95$ | 350 |
| Year 10 | 250 | $4 / 2 / 95$ | 40 | Day 19 | 8000 | $7 / 95$ | 267 | Day 19 | 1850 | $4 / 2 / 95$ | 320 |
| Year 11 | 247 | $7 / 1 / 96$ | 39 | Day 21 | 10000 | $5 / 96$ | 144 | Day 21 | 1950 | $7 / 1 / 96$ | 550 |
| Year 12 | 245 | $10 / 1 / 96$ | 45 | Day 23 | 3000 | $7 / 96$ | 254 | Day 23 | 2000 | $10 / 1 / 96$ | 900 |
| Year 13 | 244 | $1 / 2 / 97$ | 60 | Day 25 | 1500 | $5 / 97$ | 142 | Day 25 | 2000 | $1 / 2 / 97$ | 420 |
| Year 14 | 243 | $4 / 2 / 97$ | 41 | Day 27 | 750 | $7 / 97$ | 233 | Day 27 | 2000 | $4 / 2 / 97$ | 390 |
| Year 15 | 248 | $7 / 2 / 98$ | 38 | Day 29 | 100 | $5 / 98$ | 132 | Day 29 | 2000 | $7 / 2 / 98$ | 520 |
| Year 16 | 248 | $10 / 1 / 98$ | 53 | Day 31 | 50 | $7 / 98$ | 206 | Day 31 | 2000 | $10 / 1 / 98$ | 1020 |
| Year 17 | 247 | $1 / 3 / 99$ | 73 | Day 33 | 25 | $5 / 99$ | 122 | Day 33 | 2000 | $1 / 3 / 99$ | 260 |
| Year 18 | 250 | $4 / 1 / 99$ | 38 | Day 35 | 10 | $7 / 99$ | 152 | Day 35 | 2000 | $4 / 1 / 99$ | 250 |

4. Create line graphs for the six mystery species above. Consider how to scale the axes before you begin. Then, use the background descriptions to match the graphs with the species.
a. Species $1=$
b. Species $2=$
c. Species $3=$
Why?
Why?
Why?
d. Species $4=$ Why?
e. Species $5=$ Why?
f. Species $6=$ Why?

## Part 3: the Human Growth Curve:

5. Now, plot the growth curve for humans, using data from the last 2000 years.

| Year | 1A.D. | 200 | 400 | 600 | 800 | 1000 | 1100 | 1200 | 1300 | 1400 | 1500 | 1600 | 1700 | 1800 | 1900 | 1930 | 1960 | 1975 | 1987 | 1999 |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| Pop. <br> (In. <br> Millions) | 170 | 190 | 190 | 200 | 220 | 265 | 320 | 360 | 360 | 350 | 425 | 545 | 610 | 1000 | 1500 | 2000 | 3000 | 4000 | 5000 | 6000 |

